

1. Each of the two circles of equal radii with centres at A and B pass through the centre of one another. If they cut at C and D then angle DBC is equal to :

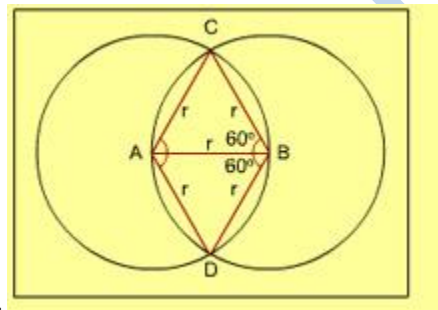
60°

100°

120°

140°

Answer (c). Triangles ACB and DBA are equilateral triangles because they have radius r as their sides. Thus angles CBA and ABD are each equal to 60 degrees



making angle DBC equal to 120 degrees.

2. The three equal circles touch each other externally. If the centres of these circles be A, B, C then triangle ABC is :

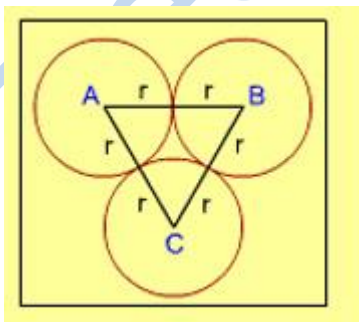
a right angle triangle

an equilateral triangle

an isosceles triangle

a scalene triangle

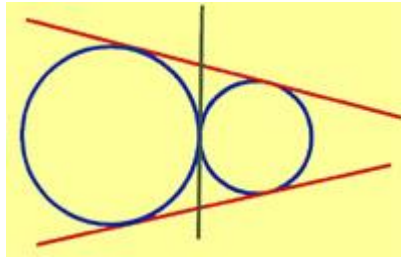
Answer (b). Each side of the triangle is equal to twice the radius of a



circle.

3. The minimum numbers of common tangents drawn to two circles when both the circle touch externally is :

- 0
1
2
3



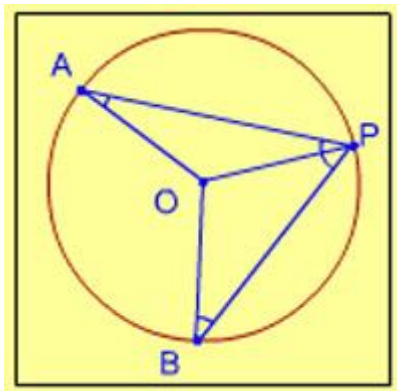
Answer (d).

4. A, B, P are three points on a circle having centre O. If angle OAP = 25° and angle OBP = 35° , then the measure of angle AOB is

- 120°
 60°
 75°
 150°

Answer (a). Since OA, OB, OP are each equal to radius of the circle, triangles OAP and OBP are isosceles triangles. Thus angle OAP = OPA = 25° and angle OBP = OPB = 35° and angle BOP = 110° and angle AOP = 130° . Therefore angle AOB = $360^\circ - 240^\circ = 120^\circ$.

Shortcut: Angle subtended at the centre of a circle by an arc (in this case arc AB) is double the angle subtended by it on any point on the remaining part of the circle. Since angle subtended at any other point P is $25^\circ + 35^\circ = 60^\circ$, the angle subtended



at the centre is 120° .

5. ABCD is a cyclic quadrilateral, AB is a diameter of the circle. If angle $ACD = 50^\circ$, the value of angle BAD is

30°

40°

50°

60°

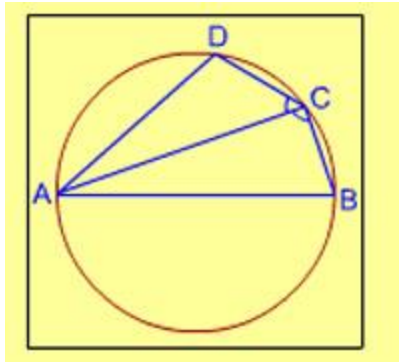
Answer (b).

Angle $ACB = 90^\circ$ (angle subtended by the diameter of a circle) and angle $ACD = 50^\circ$ (given).

Angle $DCB = 90^\circ + 50^\circ = 140^\circ$

Therefore, angle $BAD = 180^\circ - 140^\circ = 40^\circ$

Property: The sum of opposite angles of a cyclic quadrilateral is 180° .



6. Two circles of equal radii touch externally at a point P. From a point T on the tangent at P, tangents TQ and TR are drawn to the circles with points of contact Q and R respectively. The relation of TQ and TR is

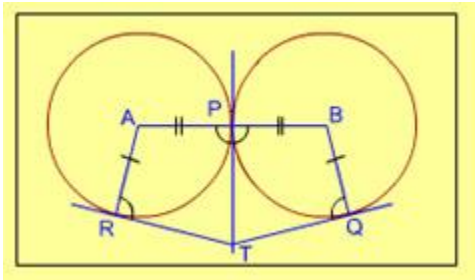
TQ < TR

TQ > TR

TQ = 2 TR

TQ = TR

Answer (d). From the figure congruence of 2 quadrilaterals PBQT and PART can be



proven.

7. AB is the chord of a circle with centre O and DOC is a line segment originating from a point D on the circle and intersecting AB produced at C such that $BC = OD$. If angle $BCD = 20^\circ$, then angle $AOD = ?$

20°

30°

40°

60°

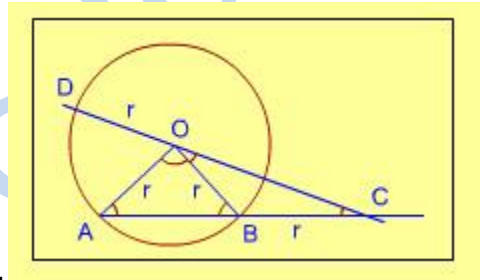
Answer (d).

Triangle OBC and OBA are both isosceles triangles.

In triangle OBC, angle $OBC = 180^\circ - (20^\circ + 20^\circ) = 140^\circ$.

In triangle OBA, angle $OBA = 180^\circ - 140^\circ = 40^\circ$.

Angle $OAB = 180^\circ - (40^\circ + 40^\circ) = 100^\circ$.



Therefore Angle $OAD = 180^\circ - (100^\circ + 20^\circ) = 60^\circ$.

8. In a circle of radius 17 cm, two parallel chords of lengths 30 cm and 16 cm are drawn. If both the chords are on the same side of the centre, then the distance between the chords is

9 cm

7 cm

23 cm

11 cm

Answer (b).

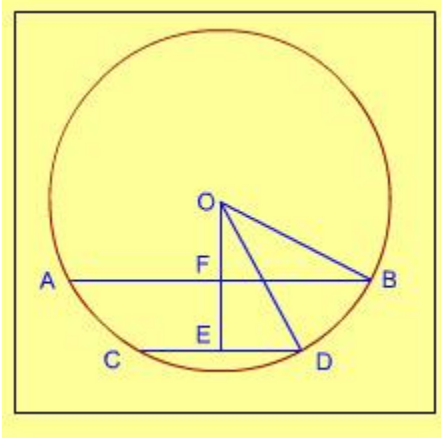
In triangle OED, $OD = 17$ cm and $ED = 16/2 = 8$ cm.

Applying Pythagoras, $OE = 15$ cm

In triangle OFB, $OB = 17$ cm and $FB = 30/2 = 15$ cm

Applying Pythagoras, $OF = 8$ cm.

Thus the distance between the two chords $EF = 15 - 8 = 7$ cm.



9. O is the centre of the circle passing through the points A, B and C such that angle BAO = 30°, angle BCO = 40° and angle AOC = x°. What is the value of x?

70°

140°

210°

280°

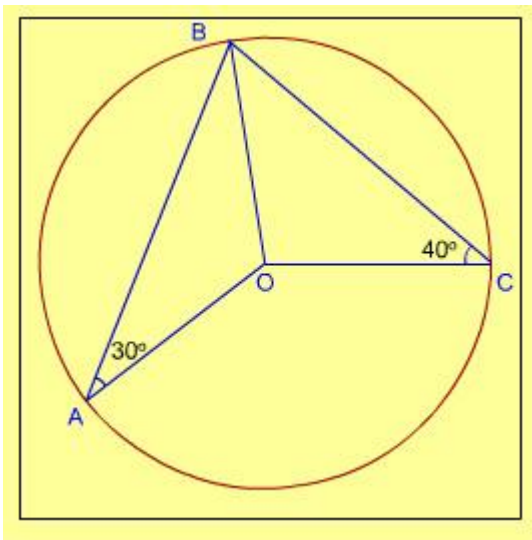
Answer (b). Triangles BOC and AOC are both isosceles triangles since OA, OB and OC are equal to the radius of the circle.

Therefore, angle OBC = 40° and angle OBA = 30°.

==> angle AOB = 180° - (2 x 30°) = 120°

==> angle BOC = 180° - (2 x 40°) = 100°.

Hence angle AOC = 360° - (120° + 100°) =



140°.

10. The diameter of a circle with centre at C is 50 cm. CP is a radial segment of the circle. AB is a chord perpendicular to CP and passes through P. CP produced intersects the circle at D. If DP = 18 cm, then what is the length of AB?

24 cm

32 cm

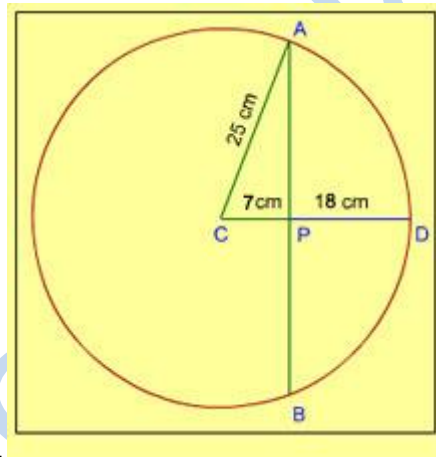
40 cm

48 cm

Answer (d). In the triangle APC, $AP^2 = CA^2 - CP^2$

$$\implies AP = \sqrt{625 - 49} = \sqrt{576} = 24 \text{ cm}$$

Similarly, $PB = 24 \text{ cm}$



Therefore $AB = AP + PB = 48 \text{ cm}$.